

## 5.2: (Trigonometry of Right Triangles)

<p>A man stands 123 feet away from the base of a flagpole. He measures the angle of elevation to the top of the flagpole as <math>30^\circ</math>. If his eyes are 5 feet above the ground, then the height of the flagpole is</p> <p>A) <math>5 + 41\sqrt{3}</math>ft. B) <math>5 + 123\sqrt{3}</math>ft. C) <math>46\sqrt{3}</math>ft. D) <math>36\sqrt{3}</math>ft E) <math>\frac{123}{2}</math> ft</p>	<p>Trigonometry of Right Triangles.</p>
<p>If a student stands at the top of a cliff and looks down at a <math>60^\circ</math> angle of depression at the base of a tree that is 123 m away from the bottom of the cliff, then the height of the cliff is</p> <p>A) <math>123\sqrt{3}</math> B) <math>41\sqrt{3}</math> C) 123 D) 41 E) <math>123 + 41\sqrt{3}</math></p>	<p>Trigonometry of Right Triangles.</p>

<p>A 10 meters ladder is placed against a wall and forms an angle of <math>45^\circ</math> with the ground. If the foot of the ladder is moved away from the wall the angle changes to <math>30^\circ</math>. The exact distance moved by the top of the ladder on the wall is</p> <p>A) <math>5\sqrt{3} + 1</math>  <b>B) <math>5(\sqrt{2} - 1)</math></b>  C) 5  D) <math>3\sqrt{5} - 1</math>  E) <math>5\sqrt{2}</math></p>	<p>Trigonometry of Right Triangles.</p>
<p>If the angle of elevation from a point 18 feet from the base of a tree to the top of the tree is <math>\theta</math> and if <math>\sin \theta = \frac{4}{5}</math>, then the height of the tree is</p> <p><b>A) 24 feet</b>  B) 20 feet  C) 13.5 feet  D) 21 feet  E) 27 feet</p>	<p>Trigonometry of Right Triangles.</p>
<p>If the angle of depression from the top of a television tower to a point on the ground 36 meters from the bottom of the tower is <math>30^\circ</math>, then the height of the tower is</p> <p><b>A) <math>12\sqrt{3}</math> meters</b>  B) <math>36\sqrt{3}</math> meters  C) <math>36\sqrt{2}</math> meters  D) <math>18\sqrt{2}</math> meters  E) 18 meters</p>	<p>Trigonometry of Right Triangles.</p>

<p>The angle of depression from the top of a building to a point on the ground is <math>60^\circ</math>. How far is the point from the bottom of the building if the building is 300 meters high?</p> <p>A) <math>100\sqrt{3}</math> m  B) <math>300\sqrt{3}</math> m  C) <math>600\sqrt{3}</math> m  D) <math>400\sqrt{3}</math> m  E) 600 m</p>	<p>Trigonometry of Right Triangles.</p>
<p>A 20ft ladder leans against a building so that the angle between the ground and the ladder is <math>\theta</math>. If <math>\cot \theta = \frac{4}{3}</math>, then the height at which the ladder reaches on the building is</p> <p>A) 12ft  B) 10ft  C) 5ft  D) 30ft  E) 8ft</p>	<p>Trigonometry of Right Triangles.</p>
<p>From a point on the ground <math>100\sqrt{3}ft</math> from the base of a building, an observer finds that the angle of elevation to the top of the building is <math>30^\circ</math> and that the angle of elevation to the top of a flagpole on top of the building is <math>a</math>, with <math>\tan a = \frac{21}{20\sqrt{3}}</math>. Find the length of the flagpole.</p> <p>A) 5 feet  B) 4 feet  C) 6 feet  D) 3 feet  E) 7 feet</p>	<p>Trigonometry of Right Triangles.</p>

<p>From a window 20 feet above the street, the angle of elevation to the top of the building across the street is <math>60^\circ</math>, and the angle of depression to the base of the building is <math>20^\circ</math>, the height of the building across the street is:</p> <p>A) <math>20(1 + \sqrt{3}\cot 20^\circ)</math>  B) <math>20\sqrt{3}\tan 20^\circ</math>  C) <math>20(1 + \sqrt{3}\tan 20^\circ)</math>  D) <math>20\sqrt{3}\cot 20^\circ</math>  E) <math>20\sqrt{3}</math></p>	<p>Trigonometry of Right Triangles.</p>
<p>A 20ft ladder leans against a building so that the angle between the ground and the ladder is <math>\alpha</math>. If <math>\tan \alpha = \frac{1}{2}</math>, how high does the top of the ladder reach on the building?</p> <p>A) <math>4\sqrt{5}</math>  B) 10  C) 4  D) <math>8\sqrt{5}</math>  E) 8</p>	<p>Trigonometry of Right Triangles.</p>

<p>The angle of depression from the top of a building to the bottom of a tower is <math>30^\circ</math> and the angle of elevation from the top of the building to the top of the tower is <math>60^\circ</math>. If the distance between the building and the tower is 60 meters, then the height of the tower in meters is:</p> <p>A) <math>80\sqrt{3}</math>  B) <math>60(\sqrt{3} + 1)</math>  C) <math>30(\sqrt{3} - 1)</math>  D) <math>45\sqrt{3}</math>  E) 100</p>	<p>Trigonometry of Right Triangles.</p>
<p>A 10 meters ladder is placed against a wall and forms an angle of <math>30^\circ</math> with the ground. If the foot of the ladder is moved toward the wall, the angle changes to <math>60^\circ</math>. The exact distance moved by the top of the ladder on the wall is</p> <p>A) <math>5(\sqrt{3} - 1)</math>  B) <math>5(\sqrt{3} - \sqrt{2})</math>  C) <math>5(\sqrt{2} - 1)</math>  D) <math>5\sqrt{2}</math>  E) <math>5\sqrt{3}</math></p>	<p>Trigonometry of Right Triangles.</p>

<p>Mohammad wants to find the height of a tree. From a point on the ground he finds that the angle of elevation to the top of the tree is <math>60^\circ</math>. He then moves back 50 meters from the second point, the angle of elevation to the top of the tree is <math>45^\circ</math>, the height of the tree is</p> <p>A) <math>75 + 25\sqrt{3}</math>  B) <math>25 + 25\sqrt{3}</math>  C) <math>50 + 25\sqrt{3}</math>  D) <math>50 - 25\sqrt{3}</math>  E) <math>75 - 25\sqrt{3}</math></p>	<p>Trigonometry of Right Triangles.</p>
<p>A helicopter is flying 450 feet above the ground level. If the angle of depression from the helicopter to the base of a flagpole is <math>\theta</math>, where <math>\sin \theta = \frac{5}{13}</math>, then the horizontal distance the helicopter must fly to be directly over the flagpole is</p> <p>A) 1080 feet  B) 187.5 feet  C) 1170 feet  D) 173.1 feet  E) 487.5 feet</p>	<p>Trigonometry of Right Triangles.</p>

<p>If from the top of a 60 meters tower, an observer finds that the angle of depression to the bottom of a building opposite to the tower is <math>\alpha</math>. where <math>\sec \alpha = 3</math>, then the distance in meters between the tower and the building is</p> <p>A) <math>15\sqrt{2}</math>  B) <math>2\sqrt{2}</math>  C) <math>30\sqrt{2}</math>  D) <math>60\sqrt{2}</math>  E) <math>120\sqrt{2}</math></p>	<p>Trigonometry of Right Triangles.</p>
<p>The angle of depression from the top of a building to a point on the ground is <math>30^\circ</math>. How far is the point from the bottom of the building if the building is 252 meters high?</p> <p>A) <math>252\sqrt{3}</math> m  B) 504 m  C) <math>\frac{504\sqrt{3}}{3}</math> m  D) 126 m  E) <math>126\sqrt{3}</math> m</p>	<p>Trigonometry of Right Triangles.</p>

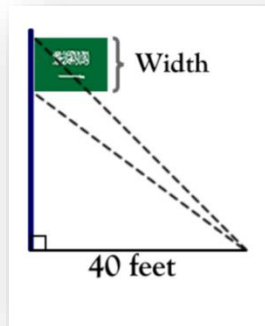
If the angle of elevation from a point 12 feet from the base of a building to the top of the building is  $\theta$  and if  $\sec \theta = \frac{5}{4}$ , then the height of the building is

- A) 9 feet
- B) 16 feet
- C)  $\frac{36}{5}$  feet
- D) 8 feet
- E)  $\frac{48}{5}$  feet

Trigonometry  
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Measurements taken 40 feet from the base of a flagpole show the angle of elevation to the top of the flagpole to be  $60^\circ$  and the angle of elevation to the bottom of the flag to be  $45^\circ$ . Determine the vertical width of the flag.

- A)  $40(\sqrt{3} - 1)$  feet
- B)  $6\sqrt{3}$  feet
- C)  $\frac{20\sqrt{3}}{3}$  feet
- D) 12 feet
- E)  $\frac{40\sqrt{3}}{3}$  feet



Trigonometry  
of Right  
Triangles.



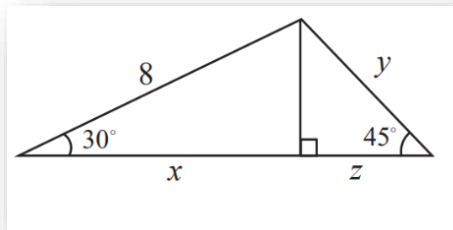
From the top of a tower, a man finds that the angle of depression to a car on the ground is  $30^\circ$ . If the car is 60 meters away from the tower, then the height of the tower in meters is

- A) 80
- B)  $80\sqrt{3}$
- C) 20
- D)  $20\sqrt{2}$
- E)  $20\sqrt{3}$

Trigonometry of Right Triangles.

In the adjacent figure, the value of  $\frac{x \cdot y}{\sqrt{3}}$  is

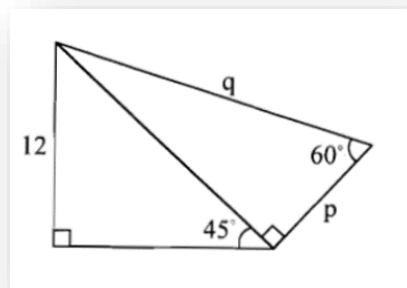
- A)  $16\sqrt{2}$
- B) 32
- C) 36
- D) 24
- E)  $24\sqrt{3}$



Trigonometry of Right Triangles.

In the adjacent figure,  $p + q =$

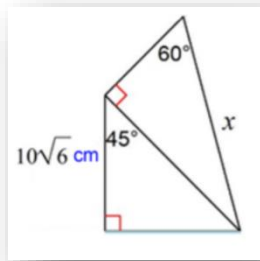
- A)  $12\sqrt{6}$
- B)  $4\sqrt{6} + 3\sqrt{2}$
- C)  $18\sqrt{6}$
- D)  $6\sqrt{2} + 4\sqrt{3}$
- E)  $15\sqrt{2}$



Trigonometry of Right Triangles.

In the adjacent figure,  $x =$

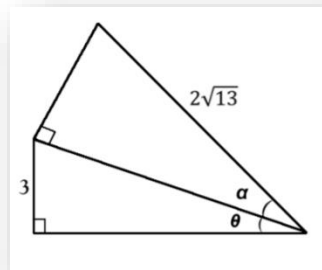
- A) 40 cm
- B)  $40\sqrt{3}$  cm
- C)  $20\sqrt{3}$  cm
- D) 20 cm
- E)  $20\sqrt{6}$  cm



Trigonometry  
of Right  
Triangles.

In the following figure, if  $\tan \alpha = \frac{2}{3}$ , then  $\theta =$

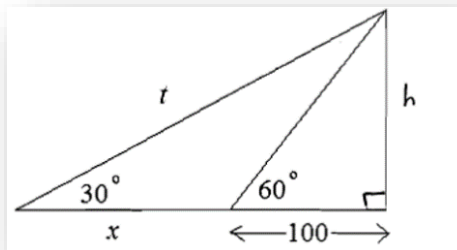
- A)  $30^\circ$
- B)  $45^\circ$
- C)  $15^\circ$
- D)  $75^\circ$
- E)  $60^\circ$



Trigonometry  
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Triangles.

From the adjacent figure  $x + t =$

- A)  $200(\sqrt{3} + 1)$
- B) 200
- C)  $100\sqrt{3}$
- D)  $100(\sqrt{3} + 1)$
- E)  $100(\sqrt{3} - 1)$



Trigonometry  
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Triangles.

In the figure below, if  $\sin \theta = \frac{4}{5}$ , then  $S + t =$

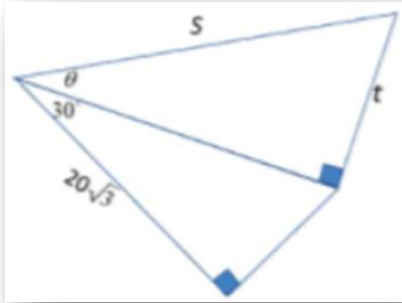
A) 120

B)  $\frac{100\sqrt{3}}{3}$

C)  $80\sqrt{3}$

D) 100

E)  $\frac{80\sqrt{3}}{3}$



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The angle of elevation from a point  $P$  that is 6 meters from the base of a building to the top of the building is  $\alpha$ . If  $\sin \alpha = \frac{4}{5}$  then the height of the building is

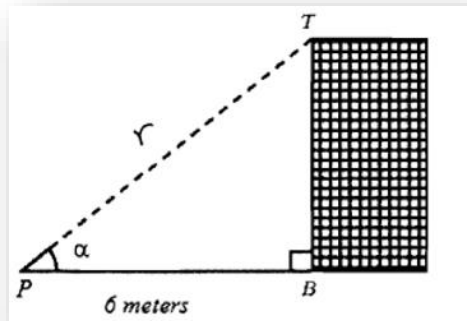
A) 8 meters

B) 3 meters

c) 16 meters

D) 9 meters

E) 64 meters



Trigonometry  
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In the adjacent figure  $h =$

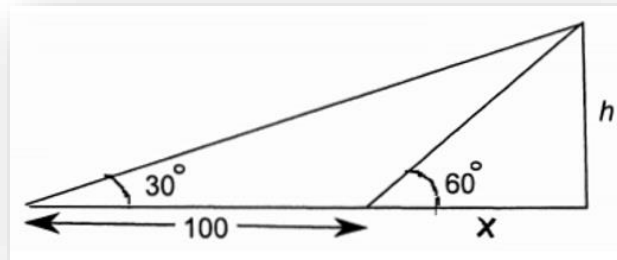
(a) 50

(b)  $50\sqrt{3}$

(c)  $100(\sqrt{3} - 1)$

(d)  $100\sqrt{3}$

(e)  $\frac{50\sqrt{3}}{3}$



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The value of  $2a + \frac{b}{\sqrt{3}} - \sqrt{3}c$  in the adjacent figure is

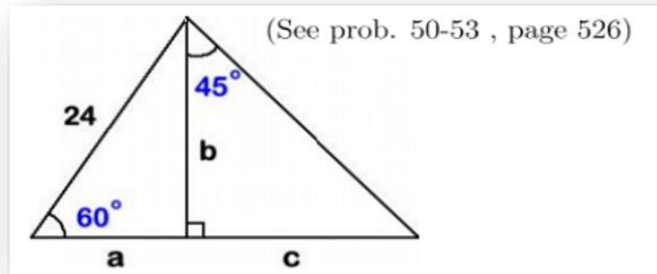
A) 0

B)  $12\sqrt{3}$

C)  $24\sqrt{3}$

D)  $-12\sqrt{3}$

E) 12



Trigonometry  
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If  $A$  and  $B$  are the two acute angles in a right triangle, then  $\frac{\sec B}{\sec A} =$

A)  $\cos A$

B)  $\sin A$

C)  $\tan A$

D) 1

E)  $\cot A$

Trigonometry  
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If  $A$  and  $B$  are two acute angles in a right triangle, then  $\frac{\csc A}{\csc B} =$

A)  $\tan B$

B)  $\sin B$

C)  $\cos B$

D)  $\cot B$

E) 1

Trigonometry  
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<p>If <math>\tan \theta = -\frac{4}{5}</math> and <math>\sin \theta &lt; 0</math>, then <math>\sec \theta - \csc \theta =</math></p> <p>A) <math>\frac{9\sqrt{41}}{20}</math></p> <p>B) <math>-\frac{9\sqrt{41}}{20}</math></p> <p>C) <math>\frac{\sqrt{41}}{20}</math></p> <p>D) <math>-\frac{\sqrt{41}}{20}</math></p> <p>E) <math>\frac{9\sqrt{41}}{41}</math></p>	<p>Trigonometry of Right Triangles.</p>
<p>Let <math>\theta</math> be an acute angle satisfying the equation <math>3\sin \theta = 4\cos \theta</math>, then <math>\csc \theta - \sec \theta =</math></p> <p>A) <math>\frac{5}{4}</math></p> <p>B) <math>-\frac{1}{5}</math></p> <p>C) <math>\frac{5}{12}</math></p> <p>D) <math>\frac{1}{5}</math></p> <p>E) <math>-\frac{5}{12}</math></p>	<p>Trigonometry of Right Triangles.</p>
<p>If from the top of a tower <math>120\sqrt{3}</math> feet high, the angles of depression to the top and bottom of a building opposite to the tower are observed to be <math>30^\circ</math> and <math>60^\circ</math> respectively, then the height of the building is</p> <p>(a) <math>80\sqrt{3}</math> feet</p> <p>(b) <math>60\sqrt{3}</math> feet</p> <p>(c) <math>120\sqrt{3}</math> feet</p> <p>(d) <math>240\sqrt{3}</math> feet</p> <p>(e) <math>40\sqrt{3}</math> feet</p>	<p>Trigonometry of Right Triangles.</p>

